

Characteristic Variability Time Scales of Long Gamma-Ray Bursts

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Abstract. We determine the characteristic variability time scales for 410 bright long GRBs by locating the maximums of their Power Density Spectra (PDSs) defined and calculated in the time domain. The averaged characteristic variability time scale decreases with peak flux. This is consistent with the time dilation effect expected by cosmological origin of GRBs. The occurrence distribution of the characteristic variability time scale shows bimodality, which might be interpreted as that the long GRB sample is composed of two sub-classes with different intrinsic characteristic variability time scales.

1. Introduction

Gamma-ray bursts (GRBs) have a complicated and irregular time profiles which vary drastically from one burst to another. The observed variability provides an interesting clue as to the nature of GRBs.

Li (2001) developed a new temporal analysis technique in the time domain without using Fourier transformation. We apply this technique and calculate the PDS in the time domain for 410 bright long bursts. The characteristic variability time scale of the burst can be obtained with this technique.

2. PDS Calculation and Characteristic Variability Time Scale of The Burst

The *BATSE* Concatenated 64-ms Data (ftp://cossc.gsfc.nasa.gov/pub/data/batse/ascii_data/64ms) summed over energy channel II and III (50 - 300 keV) with the background subtracted are used. Bursts with $T_{90} > 15s$ are selected since short bursts are not suitable for calculating PDS. To avoid low S/N ratios, we exclude dim bursts with peak count rates < 250 counts per 64ms bin. Within this two criterions a sample of 478 bursts are selected. Then we calculate PDS of each burst directly in the time domain.

Most of the bursts' PDSs show a "bump" shape. The bump-shape indicates that the variations taking place at a specified time scale dominate superiorly to variations at other time scales. Thus, we define the time scale at which the maximum of PDS locates as the time scale of typical variation in the burst's temporal profile, or, as the characteristic variability time scale (Δt_p) of the burst.

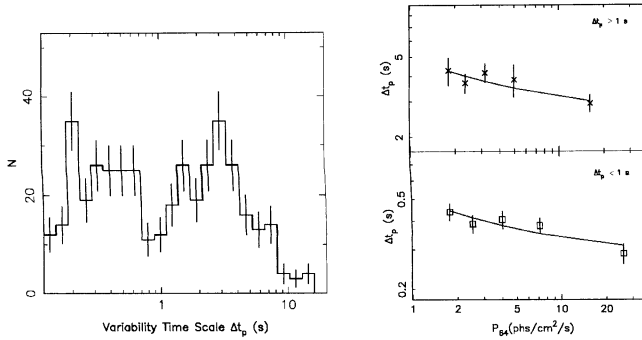


Figure 1. *Left*: Occurrence distribution of characteristic variability time scales for 410 bright long bursts. *Right*: Δt_p vs. brightness distribution for the $\Delta t_p > 1s$ group and the $\Delta t_p < 1s$ group. Each bin includes equal number of samples. Solid lines are the best-fit model predictions.

3. Distribution of Δt_p and Time Dilation Test

From the selected samples, the Δt_p of 410 bursts are determined. Fig. 1(left) plots their histogram distribution. One can find it is a bimodal distribution with the demarcation at $\Delta t_p \sim 1s$. The bursts can be divided naturally into two groups, namely fast variable group ($\Delta t_p < 1s$) and slowly variable group ($\Delta t_p > 1s$). Some researchers concentrate on reclassification of GRBs, and divided the canonical “long class” (Kouveliotou et al. 1993) into two new subclasses (Mukherjee et al. 1998; Balastegui, et al. 2001). The bimodal distribution of Δt_p is a new evidence that the long burst class comprises two sub-classes.

If a GRB occurs at a cosmological distance, every structure in the time profiles will be stretched by a factor $1 + z$ due to the expanding universe, where z is the red shift. One should observe that the dimmer bursts have larger Δt_p than the brighter bursts do, assuming that bursts are “standard candles” and have the same intrinsic characteristic variability time scale.

We divide the bursts into $\Delta t_p > 1s$ group and $\Delta t_p < 1s$ group, and plot in Fig. 1(right) the distribution of mean of Δt_p in 5 brightness bins for each group, where brightness is represented by P_{64} , the peak flux measured on 64 ms time scale. Both groups show that averaged Δt_p decreases with the brightness, a trend consistent with the theoretical predications.

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References

- Balastegui, A., Ruiz-Lapuente, P., & Canal, R. 2001, MNRAS, 328, 283
 Kouveliotou, C., Meegan, C. A., Fishman, G. J. et al. 1993, ApJ, 413, L101
 reference Li, T. P. 2001, CJAA, 1, 313
 Mukherjee, S., Feigelson, E. D., Babu, G. J. et al. 1998, ApJ, 508, 314