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Two versions of the restrictions of the phase density are found and studied:

$$\Psi(\chi, \xi) = [\chi - \lambda \xi - \phi(r)]^\alpha \Psi(\xi)$$

$$\Psi(\chi, \xi) = (1 + p \xi)^{-5/2} f(u)$$

$$u = [\chi - \lambda \xi - \phi(r)] \cdot (1 + p \xi)^{-1}$$

when the integral equation for the phase density is reduced to the Abel equation. r_1 , λ and α or p are parameters of models. r_1 is the radius of the model; $-\chi$ is the energy integral; $-\xi$ a half of the angular momentum integral squared; $\phi(r)$ is the gravitational potential. The functions $\psi(\xi)$ or $f(u)$ are determined as solutions of the Abel equation, the given functions being the space density, $\rho(r)$, or the potential, $\phi(r)$, known from observational data. The observational data have been approximated by two types of models: generalized Schuster models,

$$\rho(r)/\rho(r_0) = [1 + (r/r_0)^2]^{-\beta}$$

or two-parametric generalized isochronous models,

$$\phi(r)/\phi_0 = \begin{cases} a(b^c + \xi^c)^{-1/c}, & 0 \leq q < 1; \\ [1 + (r/r_h)^c]^{-1/c}, & q = 1, \end{cases}$$

$$\text{where } \xi(r) = [1 + a^2 (r/r_h)^2]^{1/2}, \quad q = b/a = b(1 + b^c)^{1/c}$$

ρ_0 or ϕ_0 where r_0 or r_h are scale parameters, β or q and c are structure parameters. Details of the report will be published in *Publ. Tartu Astrophys. Obs.* 48, 1980 and in *Astron. Zh. (Moscow)* 58, 1981.