

Stellar velocity dispersions in AGN - II: Methods

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Abstract. Stellar velocity dispersions in AGN are useful indicators of the black-hole mass (through the M_{\bullet} - σ_{\star} relation) and nuclear stellar populations (through the M/L ratio). We have collected near-infrared spectra of ~ 40 Seyferts in the CaII triplet range in order to measure σ_{\star} and investigate the connection between stellar populations and AGN properties. In this poster we present a comparison between two methods to measure velocity dispersions: (1) direct fitting (DFM) and (2) cross-correlation (CCM). (1) In DFM the spectra in the CaII triplet range is modeled as a combination of a broadened and shifted stellar spectrum (observed through the same instrumental setup) and a featureless continuum. This method has the advantage of making it easy to mask out noisy regions and sky residuals. (2) CCM converts the width of the star-galaxy cross-correlation function onto a velocity dispersion. We find that these methods yield velocity dispersions consistent to within 20 km s^{-1} on-average. Our results are consistent to within 20 km s^{-1} with those objects available in the literature.

1. Introduction

Stellar velocity dispersions (σ_{\star}) are a measure of the stellar kinematics in a galaxy. Due to its location in a relatively clean spectral region, the CaII absorption triplet (CaT, 8498, 8542, 8662 Å) is a useful tracer of σ_{\star} . A reliable method to measure stellar velocity dispersions in AGN is required, so we study two of them: DFM and CCM.

For DFM we developed a program based on our Stellar Population Synthesis algorithm. DFM is basically a Gaussian filter that broadens and smoothes template stellar spectra and obtains a model spectrum, whose parameters (σ_{\star} , v_{\star} , etc.) are adjusted until an optimal match is achieved.

CCM has been extensively used mainly because it demands less computer processing. We used the task *fxcor* in IRAF, which finds the cross-correlation function between the galaxy and a star template in Fourier space. The peak of the cross-correlation function is then modelled by a Gaussian, which yields its FWHM_{CCF} . We find the relation FWHM_{CCF} - σ_{\star} by an empirical calibration with the template stars.

2. Direct Fitting Method and Conclusions

The Direct Fitting Method (DFM) fits a model, M_{λ} , to the observed spectrum:

$$M_{\lambda} = M_{\lambda_0} \left[\sum_{j=1}^{N_{\star}} x_j T_{j,\lambda} r_{\lambda} \right] \otimes G(v_{\star}, \sigma_{\star})$$

where (a) M_{λ_0} is the total synthetic flux at λ_0 ; (b) $T_{j,\lambda}$ is the spectrum of the j^{th} ($j = 1, \dots, N_{\star}$) template normalized at λ_0 , and x_j is its fractional contribution to M_{λ_0} . For convenience, we include a featureless continuum C_{λ} in the base of templates. C_{λ} allows the model to match the dilution of the galaxy spectrum and is constituted by a weighted sum

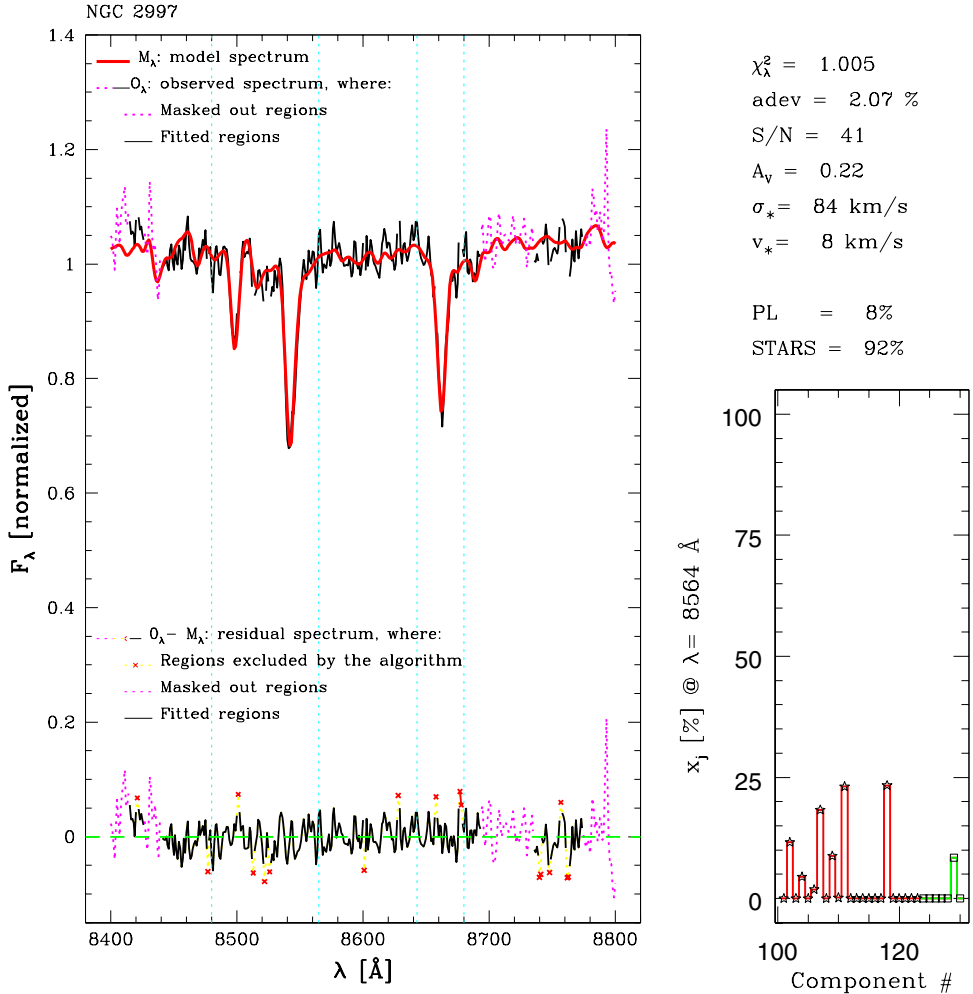


Figure 1. DFM Results for NGC 2997. The direct fitting and the cross-correlation methods yield velocity dispersions consistent to within 20 km s^{-1} . Our results are consistent to within 20 km s^{-1} with those objects available in the literature. As future steps, we will have more rigorous estimates of the uncertainties in σ_* ; use σ_* to estimate the stellar mass M_* and M/L ; use σ_* to estimate M_\bullet ; and investigate relations among M/L , stellar populations and M_\bullet .

of seven power-laws; (c) $r_\lambda = 10^{-0.4(A_\lambda - A_{\lambda_0})}$ accounts for the reddening; (d) $G(v_*, \sigma_*)$ is a Gaussian line-of-sight velocity distribution, centred at v_* and broadened by σ_* .

We first perform DFM in the CaT region (8480–8565, 8643–8680 Å). After analysing these preliminary fits, we construct individual masks for each galaxy, avoiding unwanted spectral features, such as emission lines, bad pixels and sky residuals. This is one of the main advantages of DFM, as it makes it easy to construct masks and compare the model and the observed spectra.

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