

Corrigenda

Volume 88 (1980), 125–127

J. C. WOOD. ‘An extension theorem for holomorphic mappings.’

As pointed out by Y.-T. Siu [MR82d:32021] the theorems and corollary require the additional hypothesis that the boundary ∂X , is *hyper- $(m-1)$ -convex* where $m = \dim X$, i.e. for all $p \in \partial X$, the sum of the eigenvalues of the restriction of the Levi form of ∂X to the complex tangent space $T_p(\partial X) \cap JT_p(\partial X)$ is non-negative.

Volume 93 (1983), 127–129

J. R. PARTINGTON. ‘On nearly uniformly convex Banach spaces.’

Theorem 1 was printed incorrectly. It should read

If X is (UKK) then so is $\ell_p(x)$ ($1 \leq p < \infty$).

A similar replacement of L by ℓ should also be made on p. 127, l. 4* and p. 128, l. 13, while p. 128, ll. 11*–10* should read

Also the ℓ_2 direct sum of ℓ_p , $p = 2, 3, \dots$ is not even isomorphic to any (UKK) space but is (BS) .